# CS654 Advanced Computer Architecture 

## Lec 4 - Introduction

## Peter Kemper

Adapted from the slides of EECS 252 by Prof. David Patterson
Electrical Engineering and Computer Sciences University of California, Berkeley

## Technology Trends

- Moore's Law: 2X transistors / "year"
- \# on transistors / cost-effective integrated circuit double every N months ( $12 \leq \mathrm{N} \leq 24$ )
- Note: $\mathbf{N}$ varies over time
- Bandwidth Rule:
- For disk, LAN, memory, and microprocessor, bandwidth improves by square of latency improvement
- In the time that bandwidth doubles, latency improves by no more than 1.2X to 1.4X


## Outline

- Review
- Technology Trends: Culture of tracking, anticipating and exploiting advances in technology
- Careful, quantitative comparisons:

1. Define and quantify power
2. Define and quantify dependability
3. Define, quantity, and summarize relative performance
4. Define and quantify relative cost

## Define and quantify power ( 1 / 2)

- For CMOS chips, traditional dominant energy consumption has been in switching transistors, called dynamic power

Power $_{\text {dyamic }}=1 / 2 \times$ CapacitiveLoad $_{\times} \times$Voltage $^{2} \times$ FrequencySwitched

- For mobile devices, energy better metric

$$
\text { Energy }_{\text {dynamic }}=\text { CapacitiveLoad } \times \text { Voltage }^{2}
$$

- For a fixed task, slowing clock rate (frequency switched) reduces power, but not energy
- Capacitive load a function of number of transistors connected to output and technology, which determines capacitance of wires and transistors
- Dropping voltage helps both, so went from 5V to 1V
- To save energy \& dynamic power, most CPUs now turn off clock of inactive modules (e.g. FI. Pt. Unit)


## Example of quantifying power

- Suppose $15 \%$ reduction in voltage results in a $15 \%$ reduction in frequency. What is impact on dynamic power?

$$
\begin{aligned}
\text { Powerdynamic } & =1 / 2 \times \text { CapacitiveLoad }_{\times \text {Voltage }} \text { } \times \text { FrequencySwitched } \\
& =1 / 2 \times .85 \times \text { CapacitiveLoad } \times(.85 \times \text { Voltage })^{2} \times \text { FrequencySwitched } \\
& =(.85)^{3} \times \text { OldPower } \text { dynamic } \\
& \approx 0.6 \times \text { OldPowerdynamic }
\end{aligned}
$$

- Trends:
- First microprocessors uses $1 / 10$ of a Watt
- 3.2 GHz Pentium 4 Extreme Edition uses 135 Watt
$\Rightarrow$ Challenge for power distribution and power supply,
$\Rightarrow$ Challenge for cooling (air cooling has limits ...)


## Define and quantify power (2 / 2)

- Because leakage current flows even when a transistor is off, now static power important too

$$
\text { Powerstatic }=\text { Current }_{\text {static }} \times \text { Voltage }
$$

- Leakage current increases in processors with smaller transistor sizes
- Increasing the number of transistors increases power even if they are turned off
- In 2006, goal for leakage is $\mathbf{2 5 \%}$ of total power consumption; high performance designs at 40\%
- Very low power systems even gate voltage to inactive modules to control loss due to leakage


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## Define and quantify dependability (1/3)

- How decide when a system is operating properly?
- Infrastructure providers now offer Service Level Agreements (SLA) to guarantee that their networking or power service would be dependable
- Systems alternate between 2 states of service with respect to an SLA:

1. Service accomplishment, where the service is delivered as specified in SLA
2. Service interruption, where the delivered service is different from the SLA

- Failure $=$ transition from state 1 to state 2
- Restoration = transition from state 2 to state 1


## Define and quantify dependability (2/3)

- Module reliability = measure of continuous service accomplishment (or time to failure). 2 metrics

1. Mean Time To Failure (MTTF) measures Reliability
2. Failures In Time (FIT) $=1 / \mathrm{MTTF}$, the rate of failures

- Traditionally reported as failures per billion hours of operation
- Mean Time To Repair (MTTR) measures Service Interruption
- Mean Time Between Failures (MTBF) = MTTF+MTTR
- Module availability measures service as alternate between the 2 states of accomplishment and interruption (number between 0 and 1, e.g. 0.9)
- Module availability = MTTF / ( MTTF + MTTR)


## Example calculating reliability

- If modules have exponentially distributed lifetimes (age of module does not affect probability of failure), overall failure rate is the sum of failure rates of the modules
- Calculate FIT and MTTF for 10 disks (1M hour MTTF per disk), 1 disk controller ( 0.5 M hour MTTF), and 1 power supply ( 0.2 M hour MTTF):

FailureRate $=$

$$
M T T F=
$$

## Example calculating reliability

- If modules have exponentially distributed lifetimes (age of module does not affect probability of failure), overall failure rate is the sum of failure rates of the modules
- Calculate FIT and MTTF for 10 disks (1M hour MTTF per disk), 1 disk controller ( 0.5 M hour MTTF), and 1 power supply ( 0.2 M hour MTTF):

$$
\begin{aligned}
\text { FailureRate } & =10 \times(1 / 1,000,000)+1 / 500,000+1 / 200,000 \\
& =(10+2+5) / 1,000,000 \\
& =17 / 1,000,000 \\
& =17,000 \text { FIT } \\
\text { MTTF } & =1,000,000,000 / 17,000 \\
& \approx 59,000 \text { hours }
\end{aligned}
$$

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## Definition: Performance

- Performance is in units of things per sec
- bigger is better
- If we are primarily concerned with response time performance( $\mathbf{x}$ ) = $\frac{1}{\text { execution_time(x) }}$
" X is n times faster than Y " means
$n=\frac{\text { Performance }(X)}{\operatorname{Performance}(Y)}=\frac{\text { Execution_time(Y) }}{\text { Execution_time }(X)}$


## Performance: What to measure

- Usually rely on benchmarks vs. real workloads
- To increase predictability, collections of benchmark applications, called benchmark suites, are popular
- SPECCPU: popular desktop benchmark suite
- CPU only, split between integer and floating point programs
- SPECint2000 has 12 integer, SPECfp2000 has 14 integer pgms
- SPECCPU2006 to be announced Spring 2006
- SPECSFS (NFS file server) and SPECWeb (WebServer) added as server benchmarks
- Transaction Processing Council measures server performance and cost-performance for databases
- TPC-C Complex query for Online Transaction Processing
- TPC-H models ad hoc decision support
- TPC-W a transactional web benchmark
- TPC-App application server and web services benchmark


## How Summarize Suite Performance (1/5)

- Arithmetic average of execution time of all pgms?
- But they vary by $4 X$ in speed, so some would be more important than others in arithmetic average
- Could add a weight per program, but how pick weight?
- Different companies want different weights for their products
- SPECRatio: Normalize execution times to reference computer, yielding a ratio proportional to performance =
time on reference computer
time on computer being rated


## How Summarize Suite Performance (2/5)

- If program SPECRatio on Computer A is 1.25 times bigger than Computer B, then

$$
\begin{aligned}
& 1.25=\frac{\text { SPECRatio }_{A}}{\text { SPECRatio }_{B}}=\frac{\text { ExecutionTime }_{\text {reference }}}{\text { ExecutionTime }_{A}} \\
& \frac{\text { ExecutionTime }_{\text {reference }}}{\text { ExecutionTime }_{B}} \\
&=\frac{\text { ExecutionTime }_{B}}{\text { ExecutionTime }_{A}}=\frac{\text { Performance }_{A}}{\text { Performance }_{B}}
\end{aligned}
$$

- Note that when comparing 2 computers as a ratio, execution times on the reference computer drop out, so choice of reference computer is irrelevant


## How Summarize Suite Performance (3/5)

- Since ratios, proper mean is geometric mean (SPECRatio unitless, so arithmetic mean meaningless)

$$
\text { GeometricMean }=\sqrt[n]{\prod_{i=1}^{n} \text { SPECRatio }_{i}}
$$

1. Geometric mean of the ratios is the same as the ratio of the geometric means
2. Ratio of geometric means
= Geometric mean of performance ratios $\Rightarrow$ choice of reference computer is irrelevant!

- These two points make geometric mean of ratios attractive to summarize performance


## How Summarize Suite Performance (4/5)

- Does a single mean well summarize performance of programs in benchmark suite?
- Can decide if mean a good predictor by characterizing variability of distribution using standard deviation
- Like geometric mean, geometric standard deviation is multiplicative rather than arithmetic
- Can simply take the logarithm of SPECRatios, compute the standard mean and standard deviation, and then take the exponent to convert back:
GeometricMean $=\exp \left(\frac{1}{n} \times \sum_{i=1}^{n} \ln \left(\right.\right.$ SPECRAtio $\left.\left._{i}\right)\right)$
GeometricStDev $=\exp \left(\operatorname{StDev}\left(\ln \left(\right.\right.\right.$ SPECRatio $\left.\left.\left._{i}\right)\right)\right)$


## How Summarize Suite Performance (5/5)

- Standard deviation is more informative if know distribution has a standard form
- bell-shaped normal distribution, whose data are symmetric around mean
- lognormal distribution, where logarithms of data--not data itself--are normally distributed (symmetric) on a logarithmic scale
- For a lognormal distribution, we expect that $68 \%$ of samples fall in range [mean/gstdev, mean $\times$ gstdev] $95 \%$ of samples fall in range $\left[\right.$ mean $/$ gstdev $^{2}$, mean $\times$ gstdev $^{2}$ _
- Note: Excel provides functions EXP(), LN(), and STDEV() that make calculating geometric mean and multiplicative standard deviation easy


## Example Standard Deviation (1/2)

- GM and multiplicative StDev of SPECfp2000 for Itanium 2



## Example Standard Deviation (2/2)

- GM and multiplicative StDev of SPECfp2000 for AMD Athlon



## Comments on Itanium 2 and Athlon

- Standard deviation of 1.98 for Itanium 2 is much higher-- vs. 1.40--so results will differ more widely from the mean, and therefore are likely less predictable
- Falling within one standard deviation:
- 10 of 14 benchmarks ( $71 \%$ ) for Itanium 2
- 11 of 14 benchmarks ( $78 \%$ ) for Athlon
- Thus, the results are quite compatible with a lognormal distribution (expect 68\%)


## And in conclusion ...

- Tracking and extrapolating technology part of architect's responsibility
- Expect Bandwidth in disks, DRAM, network, and processors to improve by at least as much as the square of the improvement in Latency
- Quantify dynamic and static power
- Capacitance $x$ Voltage $^{2}$ x frequency, Energy vs. power
- Quantify dependability
- Reliability (MTTF, FIT), Availability (99.9...)
- Quantify and summarize performance
- Ratios, Geometric Mean, Multiplicative Standard Deviation
- Read Chapter 1, read Appendix A!

