Review

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Introduction

- What is a PL?
- Why to learn it?
- Four principled properties of a PL
 - Syntax: on grammar correctness
 - * Names: for variables, functions, types, etc.
 - Types: collection of values and operations on them
 - Semantics: on meaning of a program
- Four main paradigms of PL
 - Imperative: program is a seq of commands
 - * OO: a collection of objects that interact
 - * Functional: a collection of mathematical functions
 - Logic: what to solve

- What makes a successful PL
 - Simplicity and readability
 - Clarity about binding
 - Reliability
 - Support
 - Abstraction
 - Orthogonality
 - Efficient implementation

Compiler and Interpreter



Regular Grammar

Simplest; least powerful in **Chomsky Hierarchy** Equivalent to:

- Regular expression
- Finite-state automaton

Right regular grammar: $\omega \in T^*, B \in N$

 $A \rightarrow \omega B$

 $A \rightarrow \omega$

Regular Expressions	
RegExpr	Meaning
Χ	a character x
\mathbf{X}	an escaped character, e.g., n
{ name }	a reference to a name
M N	M or N
M N	M followed by N
M*	zero or more occurrences of M

RegExpr Meaning

- M+ One or more occurrences of M
- M? Zero or one occurrence of M
- [aeiou] the set of vowels
- [0-9] the set of digits

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Any single character

BNF Grammar

Set of productions: P $A \in N$ $\omega \in (N \cup T)^*$ terminal symbols: Tnonterminal symbols: Nstart symbol: $S \in N$

 $A \rightarrow \omega$

Associativity and Precedence Ambiguous Grammars

Extended BNF (EBNF)

EBNF: additional metacharacters

- { } for a series of zero or more
- () for a list, must pick one
- [] for an optional list; pick none or one

Parse Trees

A *parse tree* is a graphical representation of a derivation.

Each internal node of the tree corresponds to a step in the derivation.

The children of a node represents a right-hand side of a production.

Each leaf node represents a symbol of the derived string, reading from left to right.



Abstract Syntax Tree

Output: parse tree is inefficient One nonterminal per precedence level Shape of parse tree that is important Abstract Syntax Tree for $z = x + 2^*y;$ Fig. 2.10 = **Identifier** ┿ **Identifier** * Z Х Identifier Literal 2 y

Syntactic Analysis (Parser)

- LL & LR Grammar and Parser
 - $A \rightarrow A w ?$

- Recursive Descent Parser

- Each non-terminal has a corresponding function
- FirstSet and its calculation
 - algorithm for computing the nullable sets

Computer FirstSet

For $w = X1 \dots Xn V \dots$

 $First(w) = First(X1) \cup ... \cup First(Xn) \cup First(V)$

where X1, ..., Xn are nullable

and V is not nullable

A is *nullable* if it derives the empty string.

Nullable algorithm.

Recursive Descent Parser

- Grammar rewriting for convenience of parser development
- Apply FirstSet
- Parser development with an example
 - Basic coding
 - Output abstract syntax tree

Basic idea

Given A $\rightarrow \alpha \mid \beta$, the parser should be able to choose between α & β

FIRST sets

For some rhs $\alpha \in G$, define FIRST(α) as the set of tokens that appear as the first symbol in some string that derives from α That is, $\underline{x} \in \text{FIRST}(\alpha)$ iff $\alpha \Rightarrow^* \underline{x} \gamma$, for some γ

The LL(1) Property

If $A \rightarrow \alpha$ and $A \rightarrow \beta$ both appear in the grammar, we would like

 $FIRST(\alpha) \cap FIRST(\beta) = \emptyset$

This would allow the parser to make a correct choice with a lookahead of exactly one symbol !

This is almost correct See the next slide

LL and LR Parsers

